# Managerial Economics 

Unit 1: Demand Theory

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## OBJECTIVES

- Explain the importance of market demand in the determination of profit.
- Understand the many factors that influence demand.
- Elasticity: Measures the percentage change in one factor given a small (marginal) percentage change in another factor
- Demand elasticity: Measures the percentage change in quantity demanded given a small (marginal) percentage change in another factor that is related to demand
- The role of managers in controlling and predicting market demand.
- Managers can influence demand by controlling price, advertising, product quality, and distribution strategies.


## OBJECTIVES

- Role of managers (Continued)
- Managers cannot control, but need to understand, elements of the competitive environment that influence demand.
$\star$ This includes the availability of substitute goods, their pricing, and advertising strategies employed by others.
- Managers cannot control, but need to understand how the macroeconomic environment influences demand.
* This includes interest rates, taxes, and both local and global levels of economic activity.


## How to use this chapter

- For most students almost all in this chapter should be well-known. Later on I will assume that students, indeed, know these concepts.
- I will be very quick and present only a small part.
- Students should read the chapter carefully, if they see problems.

TABLE 2.1
Market Demand Schedule for Laptops, 2008

Price per Laptop
(Dollars)
3,000
2,750
2,500
2,250
2,000
$\qquad$

## Demand Curve for Laptops



## THE MARKET DEMAND CURVE

- Characteristics of the market demand curve
- Quantity demanded is for output of the entire market, not of a single firm.
- For most products and services, a higher price results in lower demand.
- Quantity demanded is defined with regard to a particular time period.
- Determinants of the position and shape of the market demand curve
- Consumer tastes
$\star$ Example: Increase in preference for laptop computers causes an increase in demand for laptop computers.


## Effect of an Increased Preference on the Market Demand Curve for Laptops



## THE MARKET DEMAND CURVE

- Consumer income
- Normal (superior) or inferior goods
- Example: Increase in income causes an increase in demand for laptop computers.
- More specific: for each given price, demand is higher
- Population size in the market


## Effect of an Increase in Per Capita Income on the Market Demand Curve for Laptops



## INDUSTRY AND FIRM DEMAND FUNCTIONS

- Market demand function: The relationship between the quantity demanded and the various factors that influence this quantity
- Quantity of $X(Q)=f($ factors $)$
- Factors include
$\star$ price of $X$
$\star$ incomes of consumers
$\star$ tastes of consumers
$\star$ prices of other goods
$\star$ population
$\star$ advertising expenditures


## INDUSTRY AND FIRM DEMAND FUNCTIONS

- Example: $Q=b_{1} P+b_{2} I+b_{3} S+b_{4} A$
- Assumes that population is constant and that the demand function is linear
- $\mathrm{P}=$ price of laptops
- I = per capita disposable income
- $\mathrm{S}=$ average price of software
- A = amount spent on advertising
- $b_{1}, b_{2}, b_{3}$ and $b_{4}$ are parameters that are estimated using statistical methods


## INDUSTRY AND FIRM DEMAND FUNCTIONS

- Interpretation of Parameters:
- $Q=b_{1} P+b_{2} I+b_{3} S+b_{4} A$
- E.g. $b_{1}$ : if Price changes by one unit, quantity demanded changes by $b_{1}$ units under the condition that all other variables (i.e. price of Software) are held constant
- Example:
$\star Q=-700 P+200 I-500 S+0.01 A$


## The firm's demand curve

- Negative slope with regard to price
- Slope may not be the same as that of the market demand curve.
- Represents a portion of market demand
- Market share
- Responds to same market and macroeconomic factors as the market demand curve
- Directly related to the prices of substitute goods provided by competitors
- Increase in competitor's price will cause a increase in a firm's demand.


## THE OWN-PRICE ELASTICITY OF DEMAND

- The price elasticity of a demand function is the percentage change in quantity demanded in response to a 1 percent increase in price.
- Typically negative
- Price elasticity generally is different at different prices and on different markets.

$$
\eta=\left(\frac{P}{Q}\right) \frac{\Delta Q}{\Delta P}
$$

## THE OWN-PRICE ELASTICITY OF DEMAND

- Own-price elasticity of demand (Continued)
- Price elasticity demand is symbolized by $\eta$.
- $0 \geq \eta \geq-\infty$
$\star$ When $|\eta|>1$, demand is elastic.
$\star$ When $|\eta|<1$, demand is inelastic.
$\star$ When $|\eta|=1$, demand is unitary.


## THE OWN-PRICE ELASTICITY OF DEMAND

- Some extreme cases:
- When $\eta=0$, demand is perfectly inelastic and the demand curve is vertical.
* Quantity demanded is the same at all prices.
- When $\eta=-\infty$, demand is perfectly elastic and the demand curve is horizontal.
$\star$ Price is the same for all quantities demanded.
$\star$ If price rises, quantity demanded falls to zero.
$\star$ If price falls, quantity demanded increases without limit.
$\star$
$\star$ What market is this?

Demand Curves with Zero and Infinite Price Elasticities of Demand


## Looks simple, but. . .

- this is the most important insight of this lecture:
- Typically demand curve is downward sloping
- That means, we are in a market, which is not fully competitive
- If this were not the case (i.e perfect competition), everything would be boring:
$\star$ Marketing, pricing, ... would make no sense


## THE OWN-PRICE ELASTICITY OF DEMAND

- Example: linear demand curves
- The slope of a linear demand curve is constant.
- price elasticity will differ depending on price.
$\star$ At the midpoint of a linear demand curve, $\eta=-1$, with $\eta$ approaching zero as price approaches the vertical intercept.
$\star$ At prices above the midpoint, demand is elastic, with $\eta$ approaching negative infinity as price approaches zero.
* At prices below the midpoint, demand is inelastic.


## Values of the Price Elasticity of Demand at Various Points along a Linear Demand Curve



## Knowing the elasticity

- Every manager must know elasticity of demand for main products
- How can we do that?
- Very easy to calculate


## Calculating elasticities

- Point estimate: (demand function is known); calculated at a specific point of demand.
- Use statistic regression analysis

$$
\eta=\frac{\Delta Q}{\Delta P} \frac{P}{Q}
$$

- If more data are available
- Arc elasticity: uses average values of $Q$ and $P$ as reference points (if only two data points are known)

$$
\eta=\frac{\Delta Q}{\Delta P} \frac{\left(P_{1}+P_{2}\right) / 2}{\left(Q_{1}+Q_{2}\right) / 2}=\frac{\left(Q_{2}-Q_{1}\right)}{\left(P_{2}-P_{1}\right)} \frac{\left(P_{1}+P_{2}\right) / 2}{\left(Q_{1}+Q_{2}\right) / 2}
$$

## USING THE DEMAND FUNCTION TO CALCULATE THE PRICE ELASTICITY

- Given
- $Q=-700 P+200 I-500 S+0.01 A$
- $\mathrm{Q}=$ Quantity demanded of computers
- Price $=P=3,000$
- Income $=\mathrm{I}=13,000$
- Software $=S=400$
- Advertising $=A=50,000,000$


## USING THE DEMAND FUNCTION TO CALCULATE THE PRICE ELASTICITY

- Derive the demand curve
- $Q=-700 P+(200)(13000)-(500)(400)+(0.01)(50000000)$
- $Q=2900000-700 P$
- Determine $Q$
- $Q=2900000-(700)(3000)=800000$
- $\eta=(-700)(3000 / 800000)=-2.62$


## If you increase the price, how will your revenue react?

- Total Revenue TR=PQ
- now we increase the price
- $T R=P Q$
- $\mathrm{dTR} / \mathrm{dP}=\mathrm{Q}(\mathrm{dP} / \mathrm{dP})+\mathrm{P}(\mathrm{dQ} / \mathrm{dP})$
* Simplify
- $(1 / \mathrm{Q})(\mathrm{dTR} / \mathrm{dP})=(\mathrm{dP} / \mathrm{dP})+(\mathrm{P} / \mathrm{Q})(\mathrm{dQ} / \mathrm{dP})=1+\eta$


## If you increase the price, how will your revenue react?

- ( $1 / \mathrm{Q}$ is positive): Implications:
- If $\eta=-1, d T R / d P=0$, so total revenue is at a maximum and a change in P will have no effect on total revenue.
- If $\eta>-1$ (inelastic), $d T R / d P>0$, so an increase in P will increase total revenue.
- If $\eta<-1$ (elastic), $d T R / d P<0$, so an increase in P (and consequent decrease in $Q$ ) will decrease total revenue.


## Recap: What are the important issues?

- Markets are not perfect; therefore pricing and advertising is important
- Know the demand curve
- Price elasticity: do not set price, where demand is inelastic
- Optimal pricing rule


## Example: FUNDING PUBLIC TRANSIT

- Given
- Price (fare) elasticity of demand for public transit in the United States is about -0.3.
- Many public transit systems lose money.
- Public transit systems are funded by federal, state, and local governments, all of which have budget issues.


## FUNDING PUBLIC TRANSIT

- Which transit systems have the most difficult time getting public funding?
- Revenue from sales will increase if fares are increased, because demand is inelastic.
- Costs will likely decrease if fares are increased, because quantity demanded (ridership) will fall.
- Managers of public transit will therefore increase fares if they do not receive enough public funds to balance their budgets.
- Public funding seems necessary to prevent price hikes


## DETERMINANTS OF OWN-PRICE ELASTICITY OF DEMAND

- Number and similarity of available substitutes
- Product price relative to a consumer's total budget
- Time period available for adjustment to a price change
- Ex: Cell phone contracts, gasoline prices


## TABLE 2.4

## Own Price Elasticities of Demand, Selected Goods, and Services from Global Locations

| Good/Service | Elasticity | Good/Service | Elasticity |
| :---: | :---: | :---: | :---: |
| Agricultural products |  | Cigarettes (U.S. ${ }^{7}$ | -0.107 |
| Apples (U.S.J' | -1.159 | Bread (U.K.) ${ }^{3}$ | -0.26 |
| Potatoes (U.K.) ${ }^{3}$ | -0.13 | Energy |  |
| Oranges (U.S.) ${ }^{2}$ | -0.62 | Gasoline-short run (Canada) ${ }^{\text {a }}$ | -0.01 to -0.2 |
| Lettuce (U.S. ${ }^{2}$ | -2.58 | Gasoline-long run (Canada) ${ }^{\text {8 }}$ | -0.4 to -0.8 |
| Products from animals/fish |  | Transportation |  |
| 1 percent milk (U.S.) ${ }^{5}$ | -0.54 to -0.74 | Domestic cars (U.S.) ${ }^{9}$ | -0.78 |
| Cheese (U.K.) ${ }^{\text {3 }}$ | -1.36 | European cars (U.S.J ${ }^{9}$ | -1.09 |
| Cheese (U.S. $]^{6}$ | -0.595 | Other manufactured goods |  |
| Meat (China) ${ }^{4}$ | -0.06 to -0.18 | Clothing and footwear (U.K./Ireland) ${ }^{10}$ | -0.94 |
| Beef/veal (U.K. ${ }^{3}$ | -1.45 | Other goods (U.K./Ireland) ${ }^{10}$ | -0.85 |
| Manufactured agricultural products |  | Services |  |
| Beer and malt beverages (U.S.1 ${ }^{6}$ | -2.83 | Child care (North America)" | -0.570 |
| Wine (U.K./Ireland) ${ }^{7}$ | -1.12 | Government health care (Kenya) ${ }^{12}$ | -0.100 |
| Wine and brandy (U.S. $]^{6}$ | -0.198 |  |  |

## WHY ARE THERE MARKETS WITH LOW ELASTICITY OF DEMAND?

- Elasticity is calculated for the market (as a whole)
- What is elasticity if the firm changes the price alone?
- Competitive situation in the industry has to be taken into account
- It seems that in markets with relatively low elasticities are markets where unilateral price hikes are difficult
- Firm-specific price elasticity of demand is the one which is important for price setting!!


## THE STRATEGIC USE OF THE PRICE ELASTICITY OF DEMAND

- Example: Strategic pricing of first class $(\eta=-0.45)$, regular economy ( $\eta=-1.30$ ) and excursion ( $\eta=-1.83$ ) airline tickets between the United States and Europe
- First class prices should be relatively high because demand is inelastic.
- Regular economy and excursion prices should be relatively low because demand is elastic.

TABLE 2.5

## Elasticities of Demand for Air Tickets between the United States and Europe

|  | Price | Income |
| :--- | :--- | :--- |
| Type of Ticket | Elasticity | Elasticity |
| First class | -0.45 | 1.50 |
| Regular economy | -1.30 | 1.38 |
| Excursion | -1.83 | 2.37 |

## THE STRATEGIC USE OF THE PRICE ELASTICITY OF DEMAND

- Example: Using differentiation strategies to change the price elasticity of demand for a product
- Differentiation strategies convince consumers that a product is unique, and therefore has fewer substitutes.
- Role of advertising


## THE STRATEGIC USE OF THE PRICE ELASTICITY OF DEMAND

- Example (Continued)
- If consumers perceive that a product has fewer substitutes, then their price elasticity of demand for the product will decrease (become less elastic) in absolute value.
- Differentiation strategies do not require actual differences in products, only a perceived difference.


## TOTAL REVENUE, MARGINAL REVENUE, AND PRICE ELASTICITY

- A firm's total revenue (TR) is equal to the total amount of money consumers spend on the product in a given time period.
- Linear demand curve: $P=a-b Q$
- Corresponding total revenue:
$\star T R=P Q=a Q-b Q^{2}$


## TOTAL REVENUE, MARGINAL REVENUE, AND PRICE ELASTICITY

- Marginal revenue: The incremental revenue earned from selling the $n^{\text {th }}$ unit of output.
- $M R=\Delta T R / \Delta Q=\Delta\left(a Q-b Q^{2}\right) / \Delta Q=a-2 b Q$
$\star \quad \eta=(-1 / b)[(a-b Q) / Q]$
$\star$ If $\mathrm{Q}=\mathrm{a} / 2 \mathrm{~b}$, then $\eta=-1$
* If $\mathrm{Q}>\mathrm{a} / 2 \mathrm{~b}$, then $\eta$ is inelastic
* If $\mathrm{Q}<\mathrm{a} / 2 \mathrm{~b}$, then $\eta$ is elastic


## TOTAL REVENUE, MARGINAL REVENUE, AND PRICE ELASTICITY

- Marginal revenue (Continued)
- $M R=\Delta T R / \Delta Q=\Delta(P Q) / \Delta Q=$

$$
\begin{aligned}
= & P(\Delta Q / \Delta Q)+Q(\Delta P / \Delta Q)= \\
= & P[1+(Q / P)(\Delta P / \Delta Q)] \\
& \star \text { so } M R=P(1+1 / \eta)
\end{aligned}
$$

- If product is price elastic ( $\eta<-1$ ), marginal revenue must be positive
- Example: what is MR if price is $€ 10$ and price elasticity is -2 ? $10(1+1 /(-2))=€ 5$.
- What if product is very price elastic $(\eta=-\infty)$ ?


## Price setting: two simple rules

- Do not price so low that demand is price-inelastic ( $\eta>-\mathbf{1}$ ):
- Marg. Revenue is negative, i.e. by raising price, total revenue will increase and (!) costs will decrease.
- Optimal Price:

$$
\begin{gathered}
M C=M R=P\left(1+\frac{1}{\eta}\right) \ldots \text { pricing rule } \\
\Rightarrow P=M C\left(\frac{1}{1+1 / \eta}\right) \ldots \text { optimal price }
\end{gathered}
$$

$\Rightarrow$ optimal price depends upon MC and price elasticity
$\Rightarrow$ The higher (the absolute value of) price elasticity, the lower the optimal price

- Why is this so? In what market are you in?


## Elasticity in Use

- Retailer: prices for the exact item may differ substantially in stores of the same chain; why?
- Elasticity of demand is used to generate optimal prices
- Rather than marking up cost, benchmarking or guessing, price optimization models use data mining techniques
- Scanned transaction prices allow estimating a demand curve for each product
- Assuming that the marginal cost is equal across locations, we can equate marginal revenues:
- $M R 1=P 1[1+(1 / \mu 1)]=P 2[1+1 / \mu 2)]=M R 2=(M C)$
- If the marginal revenue is larger in shop 2 than in shop 1 , you would like to shift some sales from shop 1 to shop 2
- Two periods over time, two seats in an airplane, etc.


## Relationship between Price Elasticity, Marginal Revenue, and Total Revenue



## Relationship between Price Elasticity, Marginal Revenue, and Total Revenue



Total revenue, marginal revenue and price elasticity (the same on one slide)


## THE INCOME ELASTICITY OF DEMAND

- Income elasticity of demand $\left(\eta_{I}\right)$ : The percentage change in quantity demanded $(Q)$ resulting from a 1 percent increase in consumers' income (I).
- Income can be defined as aggregate consumer income or as per capita income, depending on circumstances.
- $\eta_{I}=\left(\frac{\Delta Q}{\Delta I}\right)\left(\frac{I}{Q}\right)$


## THE INCOME ELASTICITY OF DEMAND

- Income elasticity of demand (Continued)
- $\eta_{I}>0$ for normal goods.
* On average, goods are normal, since increases in aggregate income are associated with increases in aggregate consumer spending.
- $\eta_{I}<0$ for inferior goods.


## THE INCOME ELASTICITY OF DEMAND

- Strategic management and the income elasticity of demand
- The demand for a product with a large income elasticity of demand will vary widely with changes in income caused by economic growth and recessions.
- Portfolio decision: use products with both high and low income elasticity to reduce risk for business downturn


## THE INCOME ELASTICITY OF DEMAND

- Strategic management (Continued)
- Managers can lessen the impact of economic changes on such products by limiting fixed costs so that changes in production capacity can be made quickly.
- Managers can forecast demand for products using the income elasticity of demand combined with forecasts of aggregate income.


## TABLE 2.6

## Income Elasticity of Demand, Selected Commodities, Global

| Good | Elasticity |
| :---: | :---: |
| Agricultural products |  |
| Grain (China) ${ }^{1}$ | -0.12 to +0.15 |
| Potatoes (U.K.] ${ }^{2}$ | -0.32 |
| Potatoes (U.S.) ${ }^{3}$ | +0.15 |
| Oranges (U.S. ${ }^{3}$ | +0.83 |
| Apples IU.S.] ${ }^{\text {P }}$ | +1.32 |
| Lettuce (U.S.) ${ }^{3}$ | +0.88 |
| Animal products |  |
| Meat (China) ${ }^{\text {1 }}$ | +0.1 to +1.2 |
| Milk (U.K.) ${ }^{2}$ | $+0.05$ |
| Milk [U.S.] ${ }^{\text {P }}$ | +0.50 |
| Cream (U.S.] ${ }^{3}$ | +1.72 |
| Eggs (U.K.) ${ }^{2}$ | -0.21 |
| Eggs (U.S. ${ }^{3}$ | +0.57 |
| Processed food products |  |
| Bread (U.K.) ${ }^{2}$ | -0.17 |
| Other cereal products (U.K.] ${ }^{2}$ | +0.18 |
| Automobiles |  |
| Domestic cars (U.S.) ${ }^{4}$ | +1.62 |
| European cars (U.S.) ${ }^{4}$ | +1.93 |
| Asian cars (U.S.) ${ }^{4}$ | +1.65 |

## CROSS-PRICE ELASTICITIES OF DEMAND

- Cross-Price elasticity of demand $\left(\eta_{X Y}\right)$ : The percentage change in quantity demanded of one good $\left(Q_{X}\right)$ resulting from a 1 percent increase in the price of a related good $\left(P_{Y}\right)$
- Cross-Price elasticity of demand (Continued)
- $\eta_{X Y}=\left(\frac{\Delta Q_{X}}{\Delta P_{Y}}\right)\left(\frac{P_{Y}}{Q_{X}}\right)$
- $\eta_{X Y}>0$ if the two products are substitutes.
$\star$ Example: Wheat and corn
- $\eta_{X Y}<0$ if the two products are complements.
$\star$ Example: Computers and computer software


## CROSS-PRICE ELASTICITIES OF DEMAND

- Strategic management
- Managers can use information about the cross-price elasticity of demand to predict the effect of competitors' pricing strategies on the demand for their product.
- Antitrust authorities use the cross-price elasticity of demand to determine the likely effect of mergers on the degree of competition in an industry.


## CROSS-PRICE ELASTICITIES OF DEMAND

- Strategic management
- Antitrust authorities (Continued)
* A high cross-price elasticity, indicating that two goods are strong substitutes, suggests that a merger would significantly reduce competition in the industry.
* A low cross-price elasticity, indicating that two goods are strong complements, suggests that a merger might give the merged firm excessive control over the supply chain.


## THE ADVERTISING ELASTICITY OF DEMAND

- Advertising elasticity of demand $\left(\eta_{A}\right)$ : The percentage change in quantity demanded (Q) resulting from a 1 percent increase in advertising expenditure (A)
- $\eta_{A}=\left(\frac{\Delta Q}{\Delta A}\right)\left(\frac{A}{Q}\right)$
- Example Calculation
$\star$ Given: $Q=500-0.5 P+0.01 I+0.82 A$ and $A / Q=2$
$\star \eta_{A}=0.82(2)=1.64$


## TABLE 2.7

## Cross-Price Elasticity of Demand, Selected Pairs of Commodities, Global

| Change of Price | Change of <br> of Good | Quantity of Good |
| :--- | :--- | :--- |$\quad$| Cross-Price |
| :--- |
| Elasticity |

